

UNIVERSITI TUN HUSSEIN ONN MALAYSIA

FINAL EXAMINATION SEMESTER II SESSION 2015 / 2016

COURSE NAME

SOLID MECHANICS I

COURCE CODE :

BDA 10402

PROGRAMME

BDD

EXAMINATION DATE:

JUNE 2016

DURATION

: 2 HOURS 30 MINUTES

INSTRUCTION:

: PART A: ANSWER ALL QUESTIONS

PART B: ANSWER ONE (1) QUESTION

ONLY

THIS EXAMINATION PAPER CONSISTS SIX (6) PAGES

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PART A (COMPULSORY):

Answer ALL questions.

- Q1. The cylindrical pressure tank shown in **Figure Q1** has an inside diameter of 1.2 m and fabricated by butt welding 20 mm thick plate with a spiral seam. The pressure in the tank is 3000 kPa and axial load, P=130kN is applied to the end of the tank through a rigid bearing plate. Determine
 - (a) The normal stress perpendicular to the weld

(9 marks)

(b) The shearing stress parallel to the weld

(8 marks)

- (c) The maximum shearing stress at a point on the outside surface of the vessel (4 marks)
- (d) The maximum shearing stress at a point on the inside surface of the vessel (4 marks)
- Q2. (a) Figure Q2 (a) shows solid rod AB which has a diameter $d_{AB} = 60 \,\mathrm{mm}$ and is made of a steel for which the allowable shearing stress is 85 Mpa. The pipe CD, which has an outer diameter of 90 mm and a wall thickness of 20 mm, is made of an aluminum for which the allowable shearing stress is 54 MPa. Both structures are welded together. Determine the largest torque T that can be applied at A and the twist angle at the end A when that torque is applied.

(10 marks)

- (b) The pressure tank shown in **Figure Q2(b)** has a 10 mm wall thickness and buttwelded seams forming an angle $\beta = 20^{\circ}$ with a transverse plane. For a gage pressure of 600 KPa, determine:
 - (i) the normal stress perpendicular to the weld
 - (ii) the shearing stress parallel to the weld
 - (iii) sketch $\tau \sigma$ diagram and indicate the answers in (b)(i) and b(ii) in the diagram.

(15 marks)

- Q3. The state of stress of a point on the upper surface of the airplane wing is shown on the element as in **Figure Q3**. Determine:
 - (a) The principle stresses

(17 marks)

(b) The maximum in-plane shear stress and average normal stress at the point. Specify the orientation of the element in each case.

(8 marks)

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PART B (OPTIONAL):

Answer ONE (1) question only.

Q4. As shown in Figure Q4, a rigid bar with negligible mass is pinned at O and attached to two vertical rods. Assuming that the rods were initially stress-free, what maximum load P can be applied without exceeding stresses of 200 MPa in the steel rod and 80 MPa in the bronze rod.

(25 marks)

Q5. The 60-mm diameter shaft ABC shown in **Figure Q5** is supported by two journal bearings, while the 80-mm diameter shaft EH is fixed at E and supported by a journal bearing at H. If $T_1 = 4 \,\mathrm{kNm}$ and $T_2 = 6 \,\mathrm{kNm}$, determine the angle of twist of gears A and C. The shafts are made of A-36 steel. Given $G_{steel} = 75 \,GPa$.

(25 marks)

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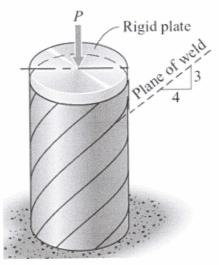


Figure Q1

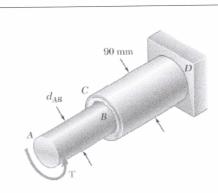


Figure Q2 (a)

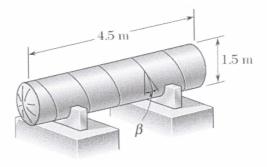
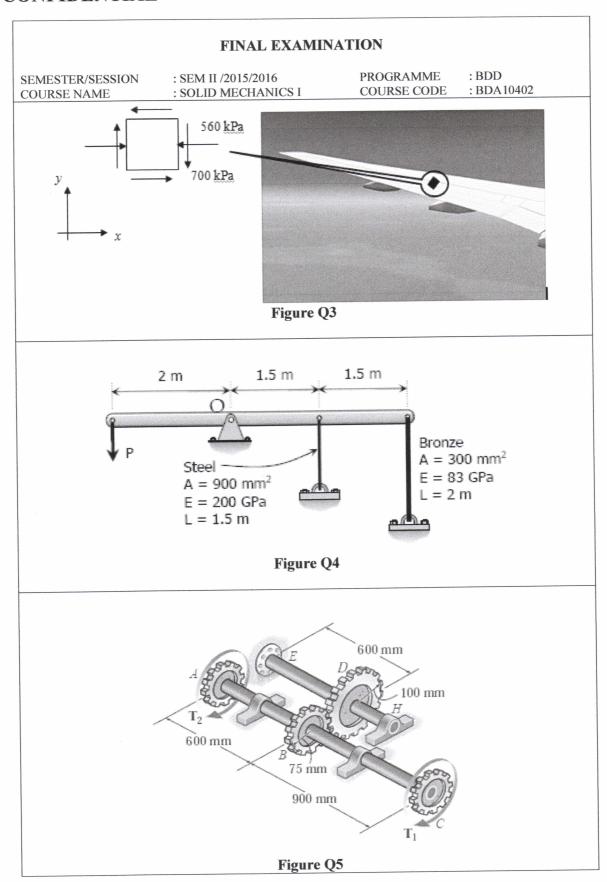


Figure Q2 (b)



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Axial Load

Normal Stress

$$\sigma = \frac{P}{A}$$

Displacement

$$\delta = \int_{0}^{L} \frac{P(x)dx}{A(x)E}$$
$$\delta = \sum \frac{PL}{AE}$$

Torsion

Shear stress in circular shaft

$$\tau = \frac{T\rho}{J}$$

where

$$J = \frac{\pi}{2}c^4$$
 solid cross section

$$J = \frac{\pi}{2} \left(c_o^4 - c_i^4 \right) \text{ tubular cross section}$$

Power

$$P = T\omega = 2\pi f7$$

Angle of twist

$$\phi = \int_0^L \frac{T(x)dx}{J(x)G}$$

$$\phi = \sum \frac{TL}{IG}$$

Average shear stress in a thin-walled tube

$$\tau_{\text{avg}} = \frac{T}{2tA_{-}}$$

Shear Flow

$$q = \tau_{\text{avg}}t = \frac{T}{2A_m}$$

Bending

Normal stress

$$\sigma = \frac{My}{I}$$

Unsymmetric bendine

$$\sigma = -\frac{M_z y}{I_z} + \frac{M_y z}{I_x}, \quad \tan \alpha = \frac{I_z}{I_y} \tan \theta$$

Shear

Average direct shear stress

$$\tau_{\text{avg}} = \frac{V}{A}$$

Transverse shear stress

$$\tau = \frac{VQ}{It}$$

Shear flow

$$q = \tau t = \frac{VQ}{I}$$

Stress in Thin-Walled Pressure Vessel

Cylinder

$$\sigma_1 = \frac{pr}{t} \qquad \sigma_2 = \frac{pr}{2t}$$

Sphere

$$\sigma_1 = \sigma_2 = \frac{pr}{2t}$$

Stress Transformation Equations

$$\sigma_{x'} = \frac{\sigma_x + \sigma_y}{2} + \frac{\sigma_x - \sigma_y}{2} \cos 2\theta + \tau_{xy} \sin 2\theta$$

$$\tau_{x'y'} = -\frac{\sigma_x - \sigma_y}{2} \sin 2\theta + \tau_{xy} \cos 2\theta$$

Principal Stress

$$\tan 2\theta_p = \frac{\tau_{xy}}{(\sigma_x - \sigma_y)/2}$$

$$\sigma_{1,2} = \frac{\sigma_x + \sigma_y}{2} \pm \sqrt{\left(\frac{\sigma_x - \sigma_y}{2}\right)^2 + \tau_{xy}^2}$$

Maximum in-plane shear stress

$$\tan 2\theta_s = -\frac{(\sigma_x - \sigma_y)/2}{\tau_{xy}}$$

$$\tau_{\text{max}} = \sqrt{\left(\frac{\sigma_x - \sigma_y}{2}\right)^2 + \tau_{xy}^2}$$

$$\sigma_{\text{avg}} = \frac{\sigma_x + \sigma_y}{2}$$

Absolute maximum shear stress

$$\tau_{\text{abs}} = \frac{\sigma_{\text{max}} - \sigma_{\text{min}}}{2}$$

$$\sigma_{\text{avg}} = \frac{\sigma_{\text{max}} + \sigma_{\text{min}}}{2}$$