

UNIVERSITI TUN HUSSEIN ONN MALAYSIA

FINAL EXAMINATION SEMESTER I SESSION 2009/2010

SUBJECT	:	DYNAMICS
SUBJECT CODE	:	BDA 2013
COURSE	:	2 BDD
DATE	:	NOVEMBER 2009
DURATION	:	2 ½ HOURS
INSTRUCTION	:	ANSWER FOUR (4) OUT OF SIX (6) QUESTIONS

THIS PAPER CONSISTS OF 8 PAGES

- Q1 The large window in Figure Q1 is opened using a hydraulic cylinder AB. The cylinder extends at a constant rate of 0.5 m/s.
 - (a) Relate the coordinate θ and s using the law of cosines.
 - (b) Determine the time derivatives of equation obtained in (a).
 - (c) At the instant $\theta = 40^{\circ}$, find the value of s from the equation obtained in (a).
 - (d) Calculate the angular velocity, ω of the window at the instant $\theta = 40^{\circ}$.
 - (e) Determine the time derivatives of equation obtained in (c).
 - (f) Calculate the angular acceleration, α of the window at the instant $\theta = 40^{\circ}$

[25 marks]

- Q2 The attached wheels roll without slipping on the plates A and B, which are moving in opposite directions as shown in FIGURE Q2. If $v_A = 60 \text{ mm/s}$ to the right and $v_B = 200 \text{ mm/s}$ to the left, determine;
 - (a) the velocity of the center O.
 - (b) the velocity of the point *P*.

[25 marks]

- Q3 FIGURE Q3 shows the slider A oscillates in the slot about the neutral position O with frequency of 2 cycles per second and an amplitude x_{max} of 50 mm so that its displacement in millimeters may be written as $x = 50 \sin 4\pi t$ where t is the time in seconds. The disc, in turn, is set into angular oscillation about O with frequency of 4 cycles per second and an amplitude $\theta_{max} = 0.2 rad$. The angular displacement is thus given by $\theta = 0.2 \sin 8\pi t$. Calculate the acceleration of A for the positions
 - (a) x = 0 with \dot{x} positive.
 - (b) x = 50 mm.

[25 marks]

- Q4 FIGURE Q4 shows the pendulum which is suspended at point O and consists of two slender rod AB and OC. The slender rods have the mass of 4 kg/m. The disk is fixed at the ends of slender rod OC and it has a density of 6000 kg/m³ and a thickness of 15mm. The disk has the radius of 300mm while the hole has the radius of 150mm. Determine;
 - (a) The moment inertia of rod OC and BC passing through the end point O.
 - (b) The moment inertia of the disk about the end point O.
 - (c) The pendulum moment of inertia about an axis passing through the pin at O.
 - (d) The location of y of the center of mass G of the pendulum.
 - (e) The pendulum moment of inertia about an axis passing through the mass center G of the pendulum.

[25 marks]

Q5 A plate shown in FIGURE Q5 is suspended at A and B. Calculate,

- (a) Mass of the plate.
- (b) Location of the center of gravity of the plate.
- (c) Mass moment of inertia of the plate about the center of gravity.
- (d) Mass moment of inertia of the plate about the point of rotation at A.

When the string at B is immediately cut, determine,

- (e) The angular acceleration of the plate.
- (f) The horizontal and vertical components of the reaction at pin A.

[25 marks]

- **Q6** The double pulley shown in **FIGURE Q6** has a mass of 15 kg and a centroidal radius of gyration of 165 mm. Cylinder A and B are attached to the cords that are wrapped on the pulleys. The coefficient of kinetic friction between block B and the surface is 0.25. Knowing that system is released from the position illustrated in FIGURE Q6, determine;
 - (a) The velocity of the cylinder A as it strikes the ground
 - (b) The total distance block B moves before coming to rest.(*Hints: think about energy method to solve this problem*)

[25 marks]



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FINAL EXAMINATION			
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SUBJECT : DYNAMICS	CODE SUBJECT : BDA 2013		
$s = s_0 + v_0 t + \frac{1}{2} a t^2$ $v = v_0 + a t$ $v^2 = v_0^2 + 2a s$ $\theta = \theta_0 + a t$ $\omega^2 = \omega_0^2 + 2a s$ $w = v^2 + v^2$ $w^\theta = r\omega$ $v^z = r^2$ $a = a^r + a^\theta$ $a^r = r - \theta^2 r$ $a^\theta = \theta r + 2\theta r$ $a^\theta = \theta r + 2\theta r$ $a^\theta = r\omega^2 = \frac{v^2}{r}$ $a^t = r\alpha$ $T_1 + U_{1\to2} = T_2$ $T_1 + V_1 = T_2 + V_2$ $U = \Delta T + \Delta V_g + \Delta V_e$ $\Delta T = \frac{1}{2} m (v_2^2 - v_1^2) + \frac{1}{2} I_G (\omega_2^2 - \omega_1^2)$ $\Delta V_g = mg(h_2 - h_1)$ $\Delta V_e = \frac{1}{2} k (x_2^2 - x_1^2)$ $mv_1 + \sum_{i=1}^{t_2} F dt = mv_2$ $(H_0)_1 + \sum_{i=1}^{t_2} M_0 dt = (H_0)_2$	$m_{A}(v_{A})_{1} + m_{B}(v_{B})_{1} = m_{A}(v_{A})_{2} + m_{B}(v_{B})_{2}$ $I_{G}\omega_{1} + m(v_{G})_{1}d_{1} + \sum \int M_{A}dt = I_{G}\omega_{2} + m(v_{G})_{2}d_{2}$ $e = -\frac{(v_{B})_{2}^{n} - (v_{A})_{2}^{n}}{(v_{B})_{1}^{n} - (v_{A})_{1}^{n}}$ $(v_{A})_{1}^{i} = (v_{A})_{2}^{i}$ $\sum M_{G} = I_{G}\alpha$ $\sum F = ma$ $\mathbf{v}_{P} = \mathbf{v}_{P} + \mathbf{v}_{P/Oxy}$ $\mathbf{v}_{P} = (\mathbf{\ddot{r}})_{OXY} = \Omega \times \mathbf{r} + (\mathbf{\ddot{r}})_{Oxy}$ $\mathbf{a}_{P} = \mathbf{a}_{P} + \mathbf{a}_{P/Oxy} + \mathbf{a}_{C}$ $\mathbf{a}_{P} = \Omega \times (\Omega \times \mathbf{r}) + \dot{\Omega} \times \mathbf{r} + 2(\Omega \times (\mathbf{\ddot{r}})_{Oxy}) + (\mathbf{\ddot{r}})_{Oxy}$ $I = mk_{G}^{2}$ $I = \int r^{2}dm$ $I_{XX} = I_{YY} = \frac{1}{4}mr^{2}$ $I_{XX} = I_{YY} = \frac{1}{12}ml^{2}$ $I_{XX} = \frac{1}{12}m(B^{2} + C^{2})$ $I_{XZ} = \frac{1}{12}m(A^{2} + B^{2})$ $I_{ZZ} = \frac{1}{12}m(A^{2} + C^{2})$		
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