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Universiti Tun Hussein Onn Malaysia

UNIVERSITI TUN HUSSEIN ONN MALAYSIA

FINAL EXAMINATION SEMESTER I SESSION 2013/2014

COURSE NAME	:	MECHANIC OF MATERIALS
COURSE CODE	:	BNP 20203
PROGRAMME	:	2 BNB
EXAMINATION DATE	:	DECEMBER 2013/ JANUARY 2014
DURATION	:	3 HOURS
INSTRUCTION	:	ANSWER FOUR (4) QUESTIONS FROM FIVE (5) QUESTIONS.

THIS QUESTION PAPER CONSISTS OF NINE (9) PAGES

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- Q1** (a) Figure **Q1(a)** show a diagram normal stress and strain curve of structural steel. Briefly explain what will happen to the steel at point A, B, C, D and E. (10 marks)
- (b) A prismatic bar with a circular cross section is subjected to an axial tensile force of 85 kN as in **Figure Q1(b)**. The bar having length of 3.0 m with diameter 30 mm. By using modulus elasticity of 70 kN/mm² and Poisson ratio 1/3:
- (i) Calculate the elongation, δ and
 - (ii) Change in diameter, ΔD .
- Assume that stress on proportionality limit is 180 kN/mm². (10 marks)
- Q2** (a) Sketches and list down types of force (6 marks)
- (b) A block size 200 mm x 100 mm x 80 mm was shown in **Figure Q2**. This block loaded with force of 250 kN in the x -direction. If Poisson's ratio is 1/3 and the modulus of elasticity is 2×10^4 N/mm², determine the percent of change in volume of the block. (14 marks)
- Q3** A simply supported beam in **Figure Q3** are loaded with a uniform distributed load of 2 kN/m at its free end, an anticlockwise couple load of 16 kNm and a point load of 5 kN applied at point C and D respectively.
- (a) Calculate the reactions at support B and D (4 marks)
 - (b) By applying an equilibrium analysis on the beam portions:
 - (i). calculate the shear force and bending moment acting on the beam, and
 - (ii). draw the Shear Force Diagram (SFD) and Bending Moment Diagram (BMD) acting on the beams.(16 marks)

Q4 The simply supported beam has the cross sectional area as shown in **Figure Q4**. Determine:

(a) The maximum bending stress in the beam, and
(4 marks)

(b) The bending stress at point A and B, and draw the stress distribution over the cross section at this location.
(16 marks)

Q5 (a) A column has a length of 8 m, modulus elasticity of 200 kN/mm^2 and moment of inertia $7519 \times 10^4 \text{ mm}^4$. Given the factor of safety is 2, determine the allowable load if,
(i) pin-connected at the both ends, and
(ii) fix-connected at both ends.

(8 marks)

(b) The pinned ended column is shown in **Figure Q5**. Determine:
(i) Whether the column is slender or not by using the slenderness ratio of slender column > 100 .
(ii) The allowable load for the column if given $E = 200 \text{ kN/mm}^2$ and factor of safety is 2.

(12 marks)

- END OF QUESTION -

TERJEMAHAN BAHASA MELAYU

- S1** (a) Rajah **S1(a)** menunjukkan lengkung tegasan normal dan terikan bagi keluli.. Terangkan dengan ringkas apakah yang berlaku kepada keluli tersebut pada titik A, B, C, D dan E. (10 markah)
- (b) Sebatang bar prismatic dengan keratan rentas bulat dikenakan daya tegangan 85 kN seperti dalam **Rajah S1(a)**. Bar ini mempunyai panjang 3.0 m dan diameter 30 mm. Dengan menganggap modulus keanjalan 70 kN/mm^2 dan nisbah Poisson $1/3$:
- (i) Kira pemanjangan, δ dan
 - (ii) perubahan diameter, ΔD .
- Anggap tegasan pada had kadaran ialah 180 kN/mm^2 . (10 markah)
- S2** (a) Senaraikan serta lakarkan jenis-jenis daya (6 markah)
- (b) Satu blok berukuran $200 \text{ mm} \times 100 \text{ mm} \times 80 \text{ mm}$ seperti dalam **Rajah S1**. Blok ini dibebani daya sebesar 250 kN pada arah x . Jika nisbah Poisson ialah $1/3$ dan modulus keanjalan ialah $2 \times 10^4 \text{ N/mm}^2$, tentukan peratus perubahan isi padu blok. (14 markah)
- S3** Rasuk dalam **Rajah S3** ditindaki beban teragih seragam 2 kN/m pada bahagian yang tergantung, satu ganding lawan jam 16 kNm yang bertindak di C dan beban titik 5 kN bertindak di D.
- (a) Kira tindak balas yang bertindak pada sokong B dan D (4 markah)
- (b) Dengan menggunakan kaedah analisis keseimbangan:
- (i). kira daya ricih dan momen lentur yang bertindak pada rasuk, dan
 - (ii). lukiskan Gambarajah Daya Ricih (GDR) dan Gambarajah Momen Lentur (GML) bagi rasuk tersebut.
- (16 markah)

S4 Sebatang rasuk terletak mudah mempunyai keratan rentas seperti dalam **Rajah S4**. Tentukan:

- (a) Tegasan lentur maksimum pada rasuk tersebut, dan
(4 markah)
- (b) Tegasan lentur pada titik A dan B, seterusnya lukiskan taburan tegasan di sepanjang keratan rentas rasuk tersebut.
(16 markah)

S5 (a) Sebatang tiang mempunyai panjang 8 m, mempunyai modulus keanjalan 200 kN/mm^2 dan momen sifatekun $7519 \times 10^4 \text{ mm}^4$. Jika factor keselamatan yang harus diberikan ialah 2, tentukan beban selamat bagi tiang tersebut jika,
(iii) kedua-dua hujung tiang dipin, dan
(iv) kedua-dua hujung tiang diikat tegar.

(8 markah)

- (b) Sebatang tiang yang dipin pada kedua-dua hujungnya ditunjukkan dalam **Rajah S6(b)**. Tentukan:
(i) Sama ada tiang tersebut langsing atau tidak dengan menganggap bahawa tiang langsing mempunyai nisbah kelangsungan > 100 .
(ii) Beban selamat tiang tersebut jika nilai $E = 200 \text{ kN/mm}^2$ dan factor keselamatan ialah 2.
(12 markah)

-SOALAN TAMAT-

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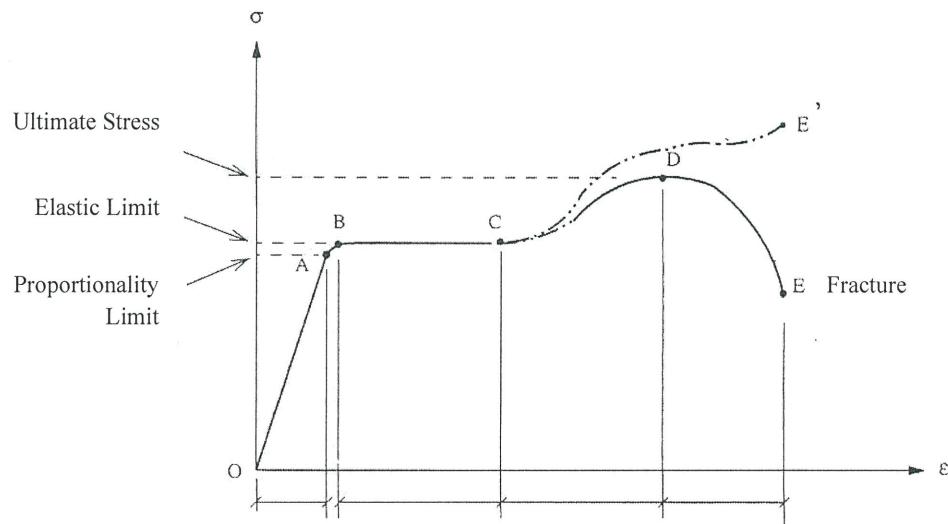


FIGURE Q1(a)/ RAJAH S1(a)



FIGURE Q1(b)/ RAJAH S1(b)

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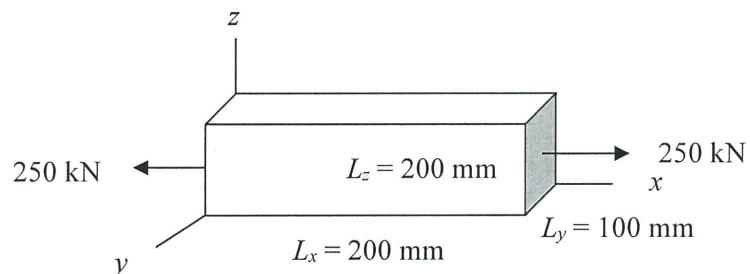


FIGURE Q2/ RAJAH S2

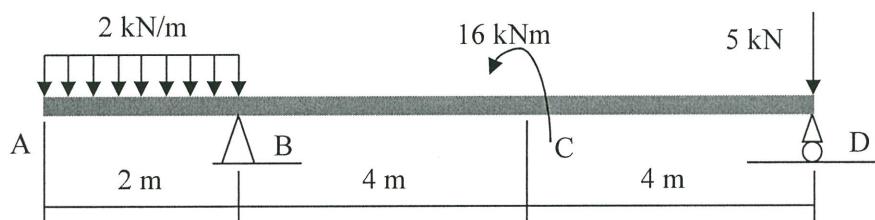


FIGURE Q3/ RAJAH S3

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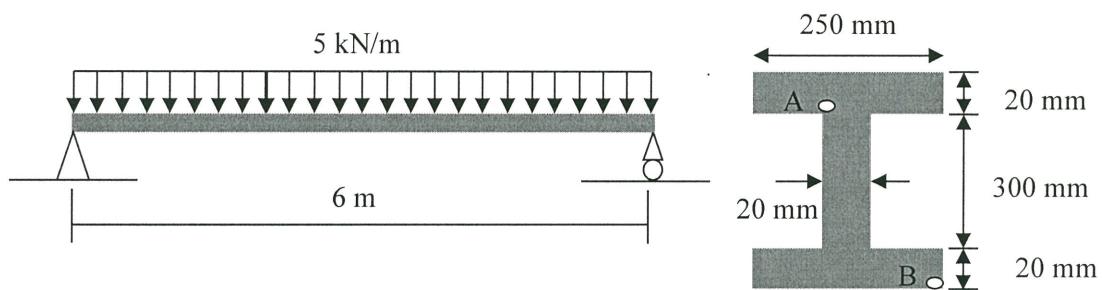


FIGURE Q4/ RAJAH Q4

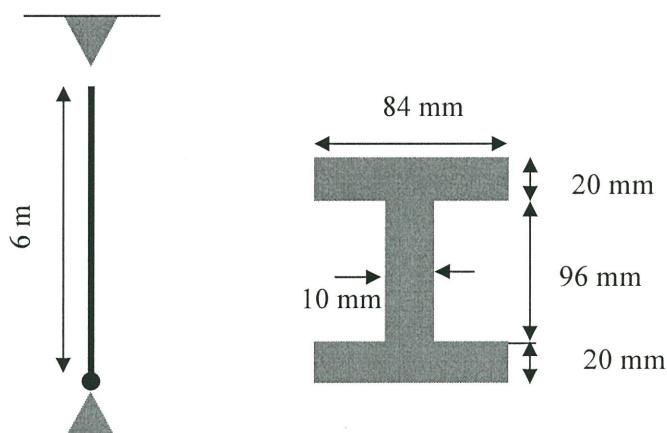


FIGURE Q5/ RAJAH S5



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LISTS OF EQUATION

1. $\sigma =$

2. $\tau =$

3. $\varepsilon =$

4. $\sigma = E\varepsilon$

5. $\nu =$

6. $= [\sigma_x - \nu(\sigma_y + \sigma_z)] ; = [\sigma_y - \nu(\sigma_x + \sigma_z)] ; = [\sigma_z - \nu(\sigma_x + \sigma_y)]$

7. $\sigma_{\text{maks}} =$

8. $I_x = ; I_y = ; I_{\text{circle}} =$

9. Pin-connected at the both ends:

$$P_{\text{cr}} = ; L_e = L$$

10. Fix-connected at the both ends:

$$P_{\text{cr}} = ; L_e =$$

