



UNIVERSITI TUN HUSSEIN ONN MALAYSIA

**FINAL EXAMINATION
SEMESTER II
SESSION 2013/2014**

COURSE NAME : ADVANCED STRUCTURE ANALYSIS
COURSE CODE : BFS 40103
PROGRAMME : 4 BFF
EXAMINATION DATE : JUNE 2014
DURATION : 3 HOURS
INSTRUCTION : ANSWER **FOUR (4)** QUESTIONS ONLY

THIS QUESTION PAPER CONSISTS OF **NINE (9)** PAGES

- Q1** (a) A statically indeterminate beam shown in Figure **Q1 (a)** is subjected to uniform load of 8 kN/m and point load of 10 kN at a distance of 2 m from point C. Taking EI as constant, and by using the principle of superposition from the Force Method;
- (i) Determine the reactions of supports A, B and C. (14 marks)
 - (ii) Draw the shear force and bending moment diagram of the beam. (6 marks)
- (b) Figure **Q1 (b)** shows determinate and indeterminate beams subjected to a point load at the mid span. Describe briefly **TWO (2)** differences in term of settlement and deflection of the beams. Support your answer by using sketches. (5 marks)
- Q2** (a) Figure **Q2** shows the statically indeterminate frame loaded with uniformly distributed load of 10 kN/m. Determine:
- (i) The degree of indeterminacy and draw the deflection curve. (4 marks)
 - (ii) Derive the compatibility equation. (2 marks)
 - (iii) Using the Force Method and compatibility equation, determine the reactions at each support. (14 marks)
 - (iv) Draw the shear force and bending moment diagram for the frame. EI is constant. (5 marks)



Q3 Figure **Q3** shows a truss pinned at the column. Determine:

- i. Global Stiffness matrix, K (8 marks)
- ii. Develop the matrix equation $\{Q\} = [K]\{D\}$ (7 marks)
- iii. Vertical displacement at node 3 if given $A = 0.5 \text{ cm}^2$ and $E = 29000 \text{ N/cm}^2$ for each member (10 marks)

- Q4.** (a) Construct the yield line pattern for the slabs shown in Figure **Q4(a)**. (4 marks)
- (b) Figure **Q4(b)** shows a triangular slab, simply supported along all three edges, is isotropically reinforced to give a yield moment of 27 kN/m . By considering a reasonable collapse mode, calculate the value of the uniformly distributed load q that could cause collapse. (10 marks)
- (c) Prove that the equation for critical load of fixed-fixed column is $P_{cr} = 4 \pi^2 EI/L^2$. (6 marks)
- (d) Determine the allowable stress for the column which is fixed at both ends as shown in Figure **Q4(c)**. (5 marks)



- Q5.** (a) List down the assumptions in the theory of bending beyond its yield point. (4 marks)
- (b) Explain the following terms;
- (i) Plastic hinge (2 marks)
- (ii) Load factor (2 marks)
- (c) The frame shown in Figure **Q5** is pinned to its foundation and has relative plastic moments of resistance, M . If M has the value of 100 kNm, calculate the value of load, W , that will just cause the frame to collapse. (17 marks)

- END OF QUESTION -

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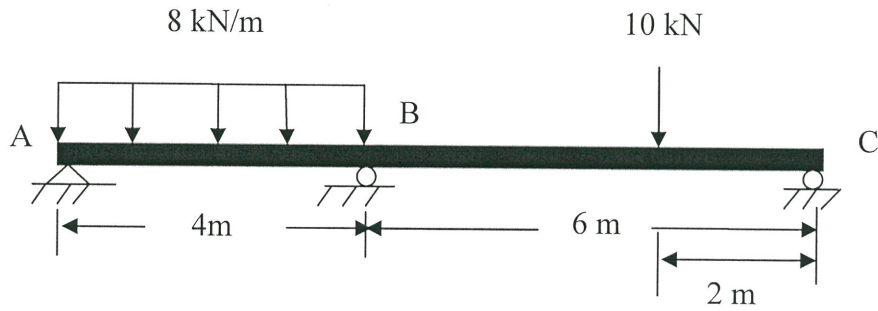


FIGURE Q1(a)

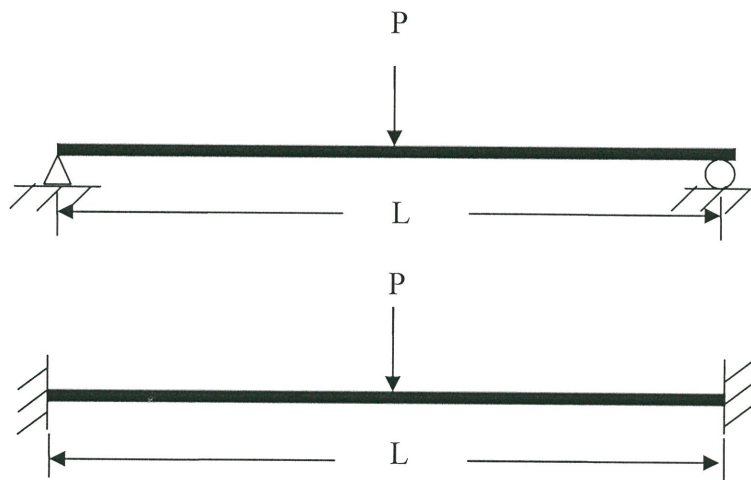


FIGURE Q1(b)



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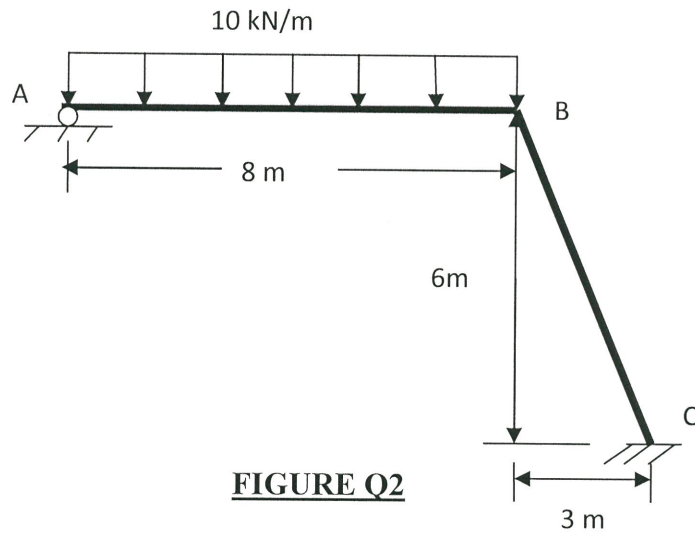


FIGURE Q2

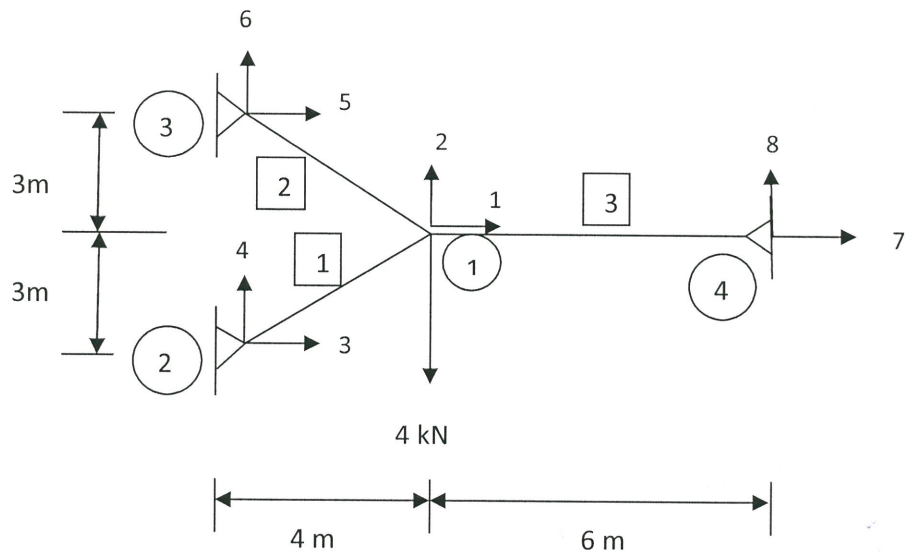


FIGURE Q3

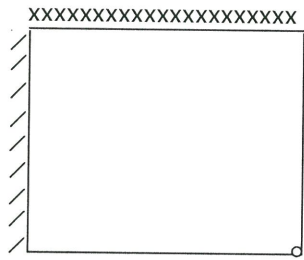
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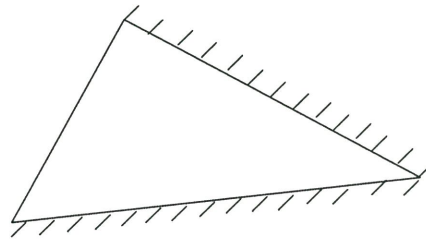
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(i)



(ii)

FIGURE Q4(a)

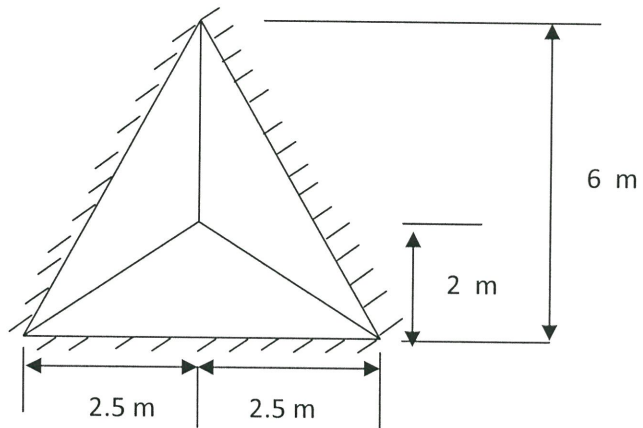


FIGURE Q4(b)

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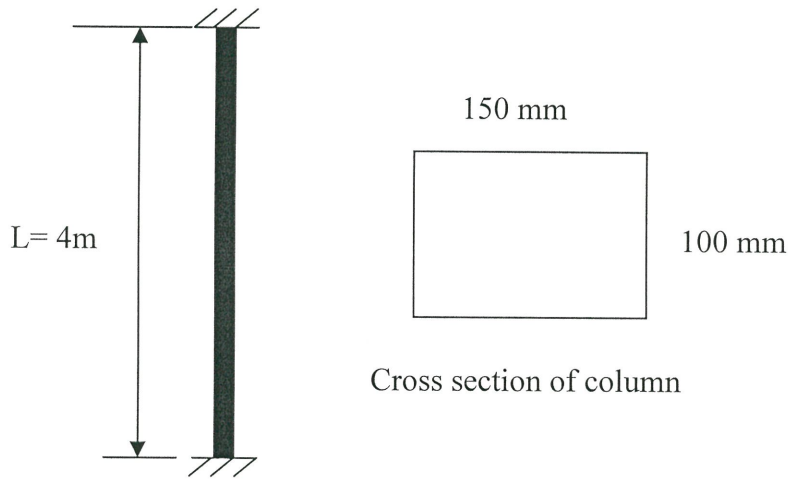


FIGURE Q4(c)

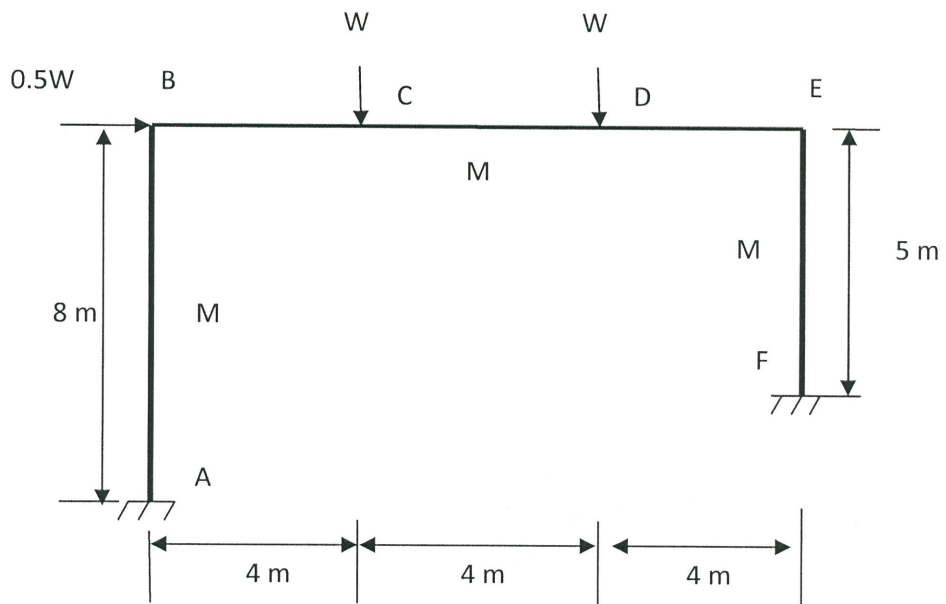


FIGURE Q5

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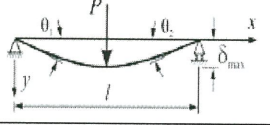
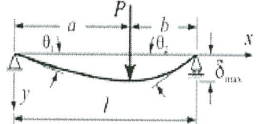
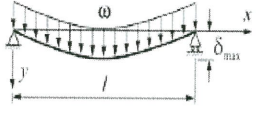

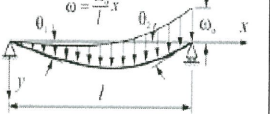
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a) Beam Deflection equation

BEAM TYPE	SLOPE AT ENDS	DEFLECTION AT ANY SECTION IN TERMS OF x	MAXIMUM AND CENTER DEFLECTION
6. Beam Simply Supported at Ends – Concentrated load P at the center			
	$\theta_1 = \theta_2 = \frac{Pl^2}{16EI}$	$y = \frac{Px}{12EI} \left(\frac{3l^2}{4} - x^2 \right)$ for $0 < x < \frac{l}{2}$	$\delta_{max} = \frac{Pl^3}{48EI}$
7. Beam Simply Supported at Ends – Concentrated load P at any point			
	$\theta_1 = \frac{Pb(l^2 - b^2)}{6EI}$ $\theta_2 = \frac{Pab(2l - b)}{6EI}$	$y = \frac{Pbx}{6EI} (l^2 - x^2 - b^2)$ for $0 < x < a$ $y = \frac{Pb}{6EI} \left[\frac{l}{b}(x-a)^3 + (l^2 - b^2)x - x^3 \right]$ for $a < x < l$	$\delta_{max} = \frac{Pb(l^2 - b^2)^{3/2}}{9\sqrt{3}EI}$ at $x = \sqrt{(l^2 - b^2)}/3$ $\delta = \frac{Pb}{48EI} (3l^2 - 4b^2)$ at the center, if $a > b$
8. Beam Simply Supported at Ends – Uniformly distributed load ω (N/m)			
	$\theta_1 = \theta_2 = \frac{\omega l^3}{24EI}$	$y = \frac{\omega x}{24EI} (l^3 - 2lx^2 + x^3)$	$\delta_{max} = \frac{5\omega l^4}{384EI}$
9. Beam Simply Supported at Ends – Couple moment M at the right end			
	$\theta_1 = \frac{Ml}{6EI}$ $\theta_2 = \frac{Ml}{3EI}$	$y = \frac{Mlx}{6EI} \left(1 - \frac{x^2}{l^2} \right)$	$\delta_{max} = \frac{Ml^2}{9\sqrt{3}EI}$ at $x = \frac{l}{\sqrt{3}}$ $\delta = \frac{Ml^2}{16EI}$ at the center
10. Beam Simply Supported at Ends – Uniformly varying load: Maximum intensity ω_0 (N/m)			
	$\theta_1 = \frac{7\omega_0 l^3}{360EI}$ $\theta_2 = \frac{\omega_0 l^3}{45EI}$	$y = \frac{\omega_0 x}{360EI} (7l^4 - 10l^2 x^2 + 3x^4)$	$\delta_{max} = 0.00652 \frac{\omega_0 l^4}{EI}$ at $x = 0.519l$ $\delta = 0.00651 \frac{\omega_0 l^4}{EI}$ at the center

b) Stiffness matrix formula

$$K = AE/L \begin{pmatrix} \lambda_x^2 & \lambda_x \lambda_y & -\lambda_x^2 & -\lambda_x \lambda_y \\ \lambda_x \lambda_y & \lambda_y^2 & -\lambda_x \lambda_y & -\lambda_y^2 \\ -\lambda_x^2 & -\lambda_x \lambda_y & \lambda_x^2 & \lambda_x \lambda_y \\ -\lambda_x \lambda_y & -\lambda_y^2 & \lambda_x \lambda_y & \lambda_y^2 \end{pmatrix}$$

